

$$\frac{c}{b} = \frac{b}{e}$$

$$b^2 = ce$$

$$\frac{d}{a} = \frac{a}{c}$$

$$a^2 = dc$$

$$a^2 + b^2 = cd + ce$$

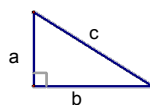
$$c(d + e)$$

$$a^2 + b^2 = c \cdot c$$

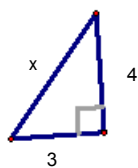
7.2 The Pythagorean Theorem

Thm 7.4--The Pythagorean Theorem--In a right triangle, the square of the hypotenuse is equal to the sum of the squares of the legs

$$c^2 = a^2 + b^2$$



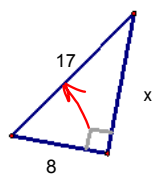
President Garfield



$$x^2 = 3^2 + 4^2$$

$$\sqrt{x^2} = \sqrt{9 + 16}$$

$$x = 5$$



$$17^2 = x^2 + 8^2$$

$$289 = x^2 + 64$$

$$\begin{array}{r} 289 \\ -64 \\ \hline 225 \end{array} = x^2 + 64 - 64$$

$$225 = x^2$$

$$15 = x$$

Find the diagonal of the rectangle with width of 2 and a length of $2\sqrt{2}$

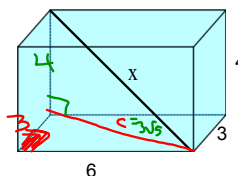


$$x^2 = 2^2 + (2\sqrt{2})^2$$

$$x^2 = 4 + 8$$

$$\sqrt{x^2} = \sqrt{12}$$

$$x = 2\sqrt{3}$$



$$c^2 = 3^2 + 6^2$$

$$c^2 = 9 + 36$$

$$c^2 = 45$$

$$c = 3\sqrt{5}$$

$$x^2 = 4^2 + (3\sqrt{5})^2$$

$$x^2 = 16 + 45$$

$$x^2 = 61$$

$$x = \sqrt{61}$$

Pythagorean Triples

$\frac{3}{6} \frac{4}{8} \frac{5}{10}$	$\frac{5}{10} \frac{12}{24} \frac{13}{26}$	8 15 17	7 24 25
9 12 15			

Theorem 7-5 The Converse of the Pythagorean Theorem--If the square of one side of a triangle is equal to the sum of the squares of the other two sides, then the triangle is a right triangle.

If $c^2 = a^2 + b^2$, then Δ is a Right Δ

If $c^2 > a^2 + b^2$, then Δ is an Obtuse Δ

If $c^2 < a^2 + b^2$, then Δ is an Acute Δ

c is the largest side

Examples

3, 7, 8 $8^2 \bigcirc 3^2 + 7^2$
Obtuse 64 $9 + 49$
 58

8, 16, 17 $17^2 \bigcirc 8^2 + 16^2$
Acute 289 $64 + 256$

$\sqrt{5}$ $\sqrt{20}$ 6 $6^2 \bigcirc \sqrt{5}^2 + \sqrt{20}^2$
Obtuse 36 $5 + 20$

What type of triangle is $\triangle ABC$?

A(-9, -3)

B(1, -1)

C(-3, -7)

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

$$AB = \sqrt{104}$$

$$BC = \sqrt{52}$$

$$\sqrt{104}^2 \bigcirc \sqrt{52}^2 + \sqrt{52}^2$$

104 $= 52 + 52$
Right

$$AC = \sqrt{(-9 - (-3))^2 + (-3 - (-7))^2}$$

$$AC = \sqrt{\frac{36}{52} + 16}$$

HW

p354

12-16, 19, 22-24, 27 (Is it right, obtuse, or acute?)